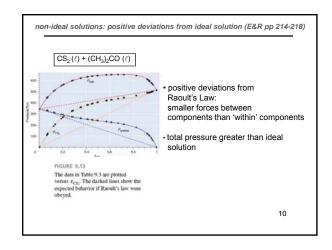
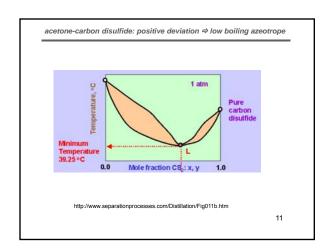
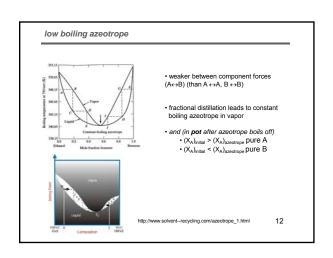
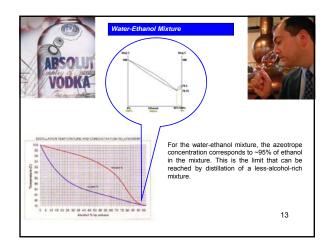


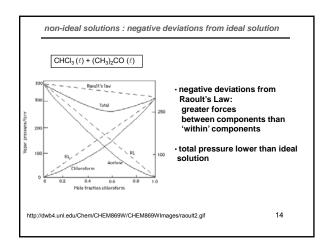
 $\begin{tabular}{ll} \textbf{non-ideal solutions: azeotrope} \\ \hline \textbf{Definition[s]:} \\ \textbf{ • constant boiling liquid} \\ \textbf{ • solution where the mole fraction of each component is the same in the liquid (solution) as the vapor $X_i^{(\ell)} = X_i^{(r)}$ \\ \textbf{ • boiling point of azeotrope may be higher or lower than of pure liquids} \\ \hline \end{tabular}$

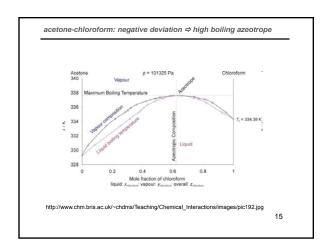


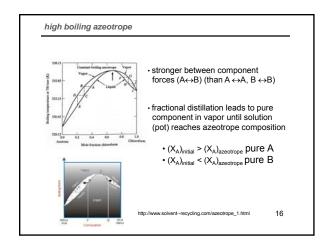


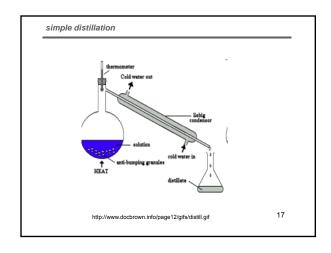


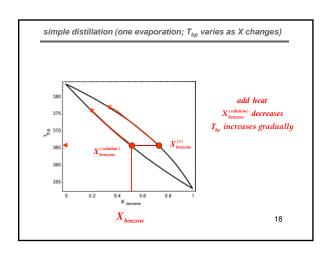


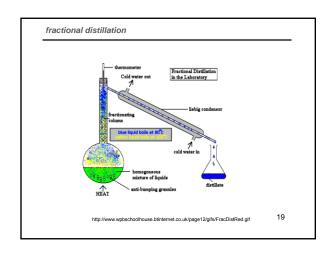


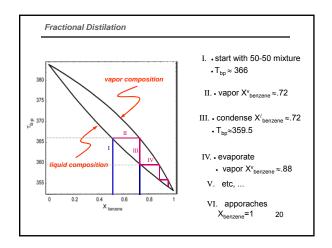


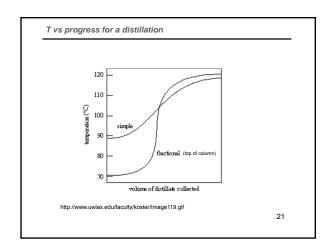


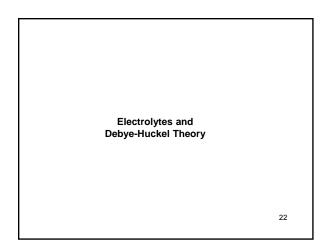












activity coefficients for ions (HW8 #58) $BaCl_{2}(s) \rightleftarrows Ba^{2+}(aq) + 2Cl^{-}(aq)$ $K_{vp} = \frac{\left(a_{Ba^{2+}(aq)}\right)\left(a_{Cl^{-}(aq)}\right)^{2}}{\left(a_{BaCl_{2}(s)}\right)}$ $a_{BaCl_{2}(s)} = 1$ $a_{Ba^{2+}(aq)} = \gamma_{Ba^{2+}} \left[Ba^{2+}\right]$ $a_{Cl^{-}(aq)} = \gamma_{Cl^{-}} \left[Cl^{-}\right]$ cannot determine $\gamma_{Ba^{2+}}$ and $\gamma_{Cl^{-}}$ independently but only $\gamma_{Ba^{2+}} = \gamma_{Cl^{-}} = \gamma_{\pm} \left(\gamma_{+} = \gamma_{-} = \gamma_{\pm}\right)$ $K_{vp} = \frac{\left(\gamma \pm\right)^{3} \left(\left[Ba^{2+}\right]/1M\right)\left(\left[Cl^{-}\right]/1M\right)^{2}}{(1)}$ $K_{vp} = (\gamma \pm)^{3} \left[Ba^{2+}\right] \left[Cl^{-}\right]^{2}$ 23

Debye-Hückel Theory

• 'a priori' calculation of activity coefficients, γ_z , for ions
• expect $\gamma_z < 1$ since ions not independent [effective concentration reduced; $a_z < c_z$]
• μ is calculated as work done to bring other charges to region surrounding ion in question
• the result is $\ln \gamma \pm - \Omega |z_z z_c| T^{-\frac{3}{2}} I^{\frac{1}{2}}$ where Ω depends on the solvent's dieelectric constant and other physical constants z_z and z_z are the (interger) charges on the cation and anion and $I = \frac{1}{2} \sum_i m_i z_i^2$ is the ionic strength of the solution, m_i is molal concentration of ion [E & R: Eqn 10.32 with κ from Eqn. 10.29]

Debye-Hückel Theory

 $\ln \gamma \pm = -\Omega |z_+ z_-| T^{-\frac{3}{2}} I^{\frac{1}{2}}$

where Ω depends on the solvent's dieelectric constant and other physical constants z_* and z_- are the (interger) charges on the cation and anion

and $I = \frac{1}{2} \sum_{i} m_i z_i^2$ is the ionic strength of the solution, m_i is modal concentration of ion

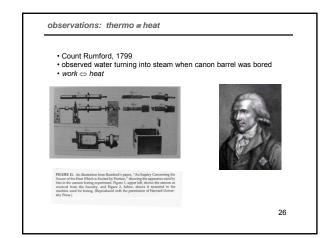
[E & R: Eqn 10.32 with **r** from Eqn. 10.29]

 $\log \gamma_{\pm} = -0.5092 |z_{+}z_{-}| I^{\frac{1}{2}}$ for water solvent at 298.15K

 $\ln \gamma_{\pm} = -1.173 |z_{+}z_{-}| I^{\frac{1}{2}}$ (E&R eqn 10.33)

 $I = \frac{1}{2} \sum_{i} \left(m_{i+} z_{i+}^2 + m_{i-} z_{i-}^2 \right)$ ionic strength

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1st law

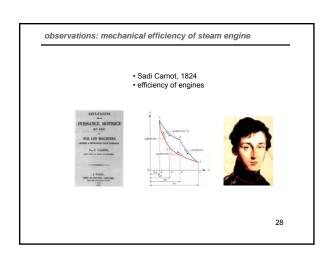


$$dU = d\bar{q} - PdV + dw_{other}$$

$$\oint dU = 0$$

$$dH = d\bar{q} + VdP + dw_{other}$$

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2nd I aw

mjerostates and disorder

$$\varepsilon_{fficiency} \leq 1 - \frac{T_L}{T_{II}}$$

$$dS \ge \frac{dq}{T}$$

$$dS = \frac{dq_{rev}}{T}$$

$$\Delta S_{UNIVERSE} \ge 0$$

$$\oint dS = 0$$

$$dU = TdS - PdV + dw_{other}$$

$$dH = TdS + VdP + dw_{other}$$

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"Applications

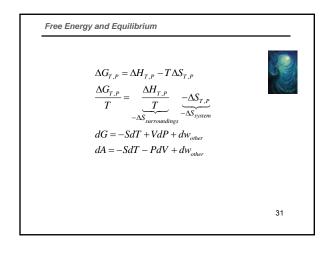
How does knowledge about efficiencies of steam engines, mechanical systems, etc, relate to processes in chemical, biological, and geological systems?

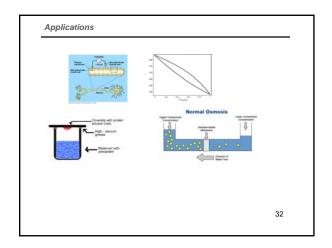
ANSWERED BY:



J. W. Gibbs- arguably the frist great American scientist who combined the concepts of heat and entropy and proposed "[Gibbs] Free Energy", **G**, a thermodynamic state function that leads to a whole spectrum of applications

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quantitative-deductive mathematical abilities

$$\begin{split} dH &= TdS + VdP + \sum_{i} \left(\frac{\partial H}{\partial n_{i}} \right)_{T,P,n_{j} \neq n_{i}} dn_{i} \\ \text{Maxwell-Euler} & \left(\frac{\partial V}{\partial S} \right)_{P,n_{ol}} = \left(\frac{\partial T}{\partial P} \right)_{S,n_{ol}} \\ & \left(\frac{\partial \left(\mu / T \right)}{\partial T} \right)_{p} = -\frac{H}{T^{2}} \\ & \left(\frac{\partial \left(\Delta \mu_{nov} / T \right)}{\partial T} \right)_{p} = -\frac{\Delta H_{ove}}{T^{2}} \\ & \left(\frac{\partial \ln K_{eq}}{\partial T} \right)_{p} = \frac{\Delta H_{ove}^{*}}{RT^{2}} \end{split}$$

Final Exam

- Conceptual and 'analytical math' from throughout term
- Problems concentrate on material since last exam •Ideal Solutions and corrections for non-ideality
 - Phase equilibria and phase diagrams one-component, relationship of T and P for one component equilibrium two-component (solid ⇒ solution and solution ⇒ vapor)
 - Colligative properties (HW8)
 - Electrochemistry (HW8)
 - Φ and ΔG , $\Delta \mu$
 - Three cells
- Vocabulary from concluding factoids
- BRAIN POWER

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