### **Chemistry 1B**

## Fall 2016

# Topics Lectures 13-14 Quantum Mechanics of the Covalent Bond

for chapter 14 animations and links see: http://switkes.chemistry.ucsc.edu/teaching/CHEM1B/WWW\_other\_links/Ch14\_links.htm  WE WILL BE COVERING SECOND PART OF CHAPTER 14 (pp 676-688) FIRST

 You will go CRAZY unless you concentrate on the material presented in lecture and homework

#### why do atoms form bonds to become molecules?





bond length: bond energy:

74 pm74 pm432 kJ/mol431.679 kJ/mol

# QM rules !!!

- the orbitals for electrons in molecules are described by combinations of atomic orbitals (a.o.s) on the atoms involved in the bond
- these orbitals (wavefunctions) are called molecular orbitals (m.o.s)
- our MISSION will be to:



- $\checkmark$  understand the nature of the m.o.'s, their energies and their electron densities  $(\square^2)$
- $\checkmark$  fill the m.o.'s with covalent bonding electrons to give ground and excited configurations (states)
- $\checkmark$  understand the properties of diatomic molecules (bond strength, bond length, and magnetic properties) in terms of these electron configurations and orbital properties 5

atomic orbitals [waves] on the atoms involved in a bond can interact [wave interference] in two ways:

- add (constructive interference)
- subtract (destructive interference)







originally from: http://www.wellesley.edu/Chemistry/chem120/mo1.html



http://www.wellesley.edu/Chemistry/chem120/mo1.html

- The atomic orbitals can add *(constructive interference)* to form a **bonding** molecular orbital.
- Properties of bonding orbital (from constructive interference of a.o.s)
  - the bonding molecular orbital has a lower energy than the two contributing atomic orbitals
  - the electron probability cloud  $(\Psi^2)$  has a greater electron density between the nuclei than would noninteracting atoms

- The atomic orbitals can subtract *(destructive interference)* to form an **antibonding** molecular orbital.
- Properties of antibonding orbital (from destructive interference of a.o.s)
  - the antibonding molecular orbital has a higher energy than the two contributing atomic orbitals
  - the electron probability cloud  $(\Psi^2)$  has a **lower** electron density between the nuclei than would non-interacting atoms (notice node)

Figure 14.25



destructive interference

constructive interference

#### 1s molecular orbitals in hydrogen molecule





- $\sigma$ : cylindrically symmetric around internuclear axis (x)
- <u>\*</u>: antibonding (destructive interference)
- 1s: from 1s a.o.'s

#### molecular orbital energy diagram (figure 14.28)



configuration:  $\sigma_{1s}^{2}$ H<sub>2</sub> bond order =  $\frac{1}{2}$  (2-0)=1 (single bond)





He<sub>2</sub><sup>+</sup> (3e's) configuration:  $(\sigma_{1s})^2 (\sigma_{1s}^*)^1$ bond order =(2-1)/2 = 0.5 He<sub>2</sub> (4e's) configuration:  $(\sigma_{1s})^2 (\sigma_{1s}^*)^2$ bond order =(2-2)/2 =0

no covalent He<sub>2</sub> molecule observed

- two a.o.'s must have similar energy (for homonuclear diatomics 1s ↔ 1s, 2s ↔ 2s, 2p ↔ 2p, etc, also 2s ↔ 2p to some extent)
- the two a.o.'s must have non-zero overlap (be able to have net constructive and destructive interference; see in a moment)
- the degree of stabilization of the bonding m.o. and the degree of destabilization of antibonding m.o. depend on the extent of the interaction (overlap) between a.o.'s

- the 1s atomic orbitals on the two atoms interact to give  $\sigma_{\text{1s}}$  and  $\sigma^{*}_{\text{1s}}$  molecular orbitals
- the 2s atomic orbitals on the two atoms interact to give  $\sigma_{2s}$  and  $\sigma^*{}_{2s}$  molecular orbitals
- although the  $\sigma_{2s}$  has a lower energy than an 2s atomic orbital, the energy of the  $\sigma_{2s}$  is higher than the  $\sigma_{1s}^*$





# Molecular Orbitals constructed from Atomic p-Orbitals

pp. 680-684

#### Learning Objectives Worksheet 9, Sections I-II



Chemistry 18-AL Fell 2016, Study duide and Worksheet 2K

#### Learning Objectives and Worksheet IX

Chemistry 1B-AL Fall 2016

#### Lestures (15-16) Molecular Orbital Theory of Covalent Bonding

WE WILL BE COVERNO CHARTER 14 IN a DUPERENT ORDER THAN THE TEXT. First we will cover the quantum mechanics of covalent bond formation (pp 678-682, inclures 13-58) in diatomics and then polyatomics bonding and thructure (pp. 683-678, B.682-682, (ectores 13-58))

Supplemental video: MIT opencourse on diatomic molecules molecular orbital theory: http://videolectures.net/mit5111705\_cayer\_lec14/

Now that we understand, from a Lewis structure perspective, how molecules may be formed from atoms that are covalently bonded by electron pairs, we are ready to return to quantum mechanics to all "what are the wavefluctions that describe the electrons is an electron-pair bond?" Again, exact nemarics solutions of the Schrödinger equation give molecular properties that exactly match experimental values, and again, as in many-electron atoms, an 'orbital approximation' will provide an excellent picture of the quantum mechanics of covalent bond formation. To describe the electronic structure of molecules we will place electrons in "molecular orbitals" in a way similar to the Aufbau Principle for placing electrons in "atomic orbitals".

L Introduction to the quantum mechanics of the covalent bond

1. What are two properties of the hydrogen molecule, Hi, that correspond to the concept that

in H, an electron pair bond occurs between the two H atoms ?

2. In forming a molecular orbital, two atomic orbitals (i.e. the waves describing the orbitals)

	can interact in what two ways:						
	4. C						
	A.						
3.	Constructive interference of two atomic orbitals (a.o.'s) leads to a						
	molecular orbital that has a	energy that the constituent a.o.'s and a					
	greater electron density	than the sam of the a.o. electron					
	descriptions						

#### Chemistry 1B-AL Fall 2016, Study Guide and Worksheet IX

Destructive interference of two atomic orbitals (a.o.'s) leads to an \_\_\_\_\_\_
molecular orbital that has a \_\_\_\_\_\_ energy that the constituent a.o.'s and a
lower electron density \_\_\_\_\_\_ than the sum of the a.o. electron
densities.

#### . Molecular orbitals for first and second row homonuclear diatomics

- 1. Bond order is defined as
  - b.o.= ½ [no. of \_\_\_\_\_\_ no. of \_\_\_\_\_\_
  - giving a bond order of \_\_\_\_\_\_ for the 'single' electron-pair bond in the molecule H2.
- Understand orbital energy diagram for m.o.'s constructed from two 1s a.o.'s. What would be the electronic configuration for the ground state of H<sub>2</sub>'? What is the bond order of H<sub>2</sub>'?
- 3. What two factors that dictate whether two atomic orbitals will interact to for molecular
  - orbitals? i. ii.
- If two atomic orbitals have a very small spatial overlap, there will be a \_\_\_\_\_\_ energy difference between the bonding and antibonding molecular orbitals formed from combinations of these a.o.'s.
- 5. Understand the orbital energy level diagrams for m.o.'s constructed from 1s and 2s a.o.'s. In Li<sub>2</sub> and Be<sub>2</sub>, note that the energy difference between the σ<sub>2n</sub> and σ\*<sub>2n</sub> m.o.'s greater than the energy difference between the σ<sub>2n</sub> and σ\*<sub>3n</sub> m.o.'s. Why is this?

#### Chemistry 1B-AL Fall 2016, Study Guide and Worksheet IX

- 6. Understand the orbitals resulting from interactions among the 2p a.o.'s on the two atoms in a diatomic molecule. Let us assume (as does the text) that the intermolecular axis is in the x-direction. In a homonuclear diatomic (A+A') which are true and which are false (circle correct choice):
  - i. The six 2p a.o.'s (3 on A, 3 on A') interact to form six m.o.'s T F
  - ii. Among the six 2p a.o.'s, the 2p, on A will only interact with the 2p, on A' to form  $\sigma_{2pn}$  and  $\sigma^{*}_{2pn}$  m.o.'s. T F
  - iii. The 2p, a.o. on A and the 2p, a.o. on A' will not interact to form m.o.'s since these atomic orbitals have very different energies. T  $\,$  F
  - iv. In the 'simple' picture (little 2s-2p mixing as in O<sub>2</sub> and F<sub>2</sub>), the  $\pi_{2py}$  m.o. will have a lower energy than the  $\sigma_{2px}$  m.o., since the side-on interaction of 2p<sub>1</sub>  $\leftrightarrow$  2p<sub>2</sub> a.o.'s is greater than the end-on interaction of 2p<sub>2</sub>  $\leftrightarrow$  2p<sub>2</sub> a.o.'s on A and A'. T =
  - v. Of the six m.o.'s formed by the 2p a.o.'s, the  $\sigma^*_{2pt}$  will, in general, have the highest energy due to the greatest destructive interference between  $2p_x \leftrightarrow 2p_x$  a.o.'s on A and A'. T F
  - vi. In homonuclear diatomics a 2s a.o. on A and a 2px a.o. on A' will never interact in forming m.o.'s since there is no possibility of net constructive or destructive interference between these a.o.'s. T F
  - vii. In homonuclear diatomics a 2s a.o. on A and a 2py a.o. on A' will never interact in forming m.o.'s since there is no possibility of net constructive or destructive interference between these a.o.'s. T F

#### 7. Understand basis of orbital designations:

- A π<sub>2py</sub>m.o. has the π designation because the orbital changes \_\_\_\_\_\_\_\_ for equivalent positions on one side of the molecule and the other relative to a plane that includes the internuclear axis.
- ii. The σ\*<sub>2n</sub> m.o. has the \_\_\_\_\_\_ sign for all points on a circle that is centered on the internuclear axis and is contained in a plane perpendicular to this axis.
- iii. The σ\*<sub>21</sub> m.o. has a \_\_\_\_\_ plane halfway between the two atoms of a homonuclear diatomic molecule since it is an \_\_\_\_\_ orbital.

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- two a.o.'s must have similar energy (for homonuclear diatomics 1s ↔ 1s, 2s ↔ 2s, 2p ↔ 2p, etc, also 2s ↔ 2p to some extent)
- the two a.o.'s must have non-zero overlap (be able to have net constructive and destructive interference; see in a moment)
- the degree of stabilization of the bonding m.o. and the degree of destabilization of antibonding m.o. depend on the extent of the interaction (overlap) between a.o.'s

#### m.o.'s from 1s and 2s a.o.'s



text uses x-direction for interatomic direction

$$\begin{array}{cccc} \mathbf{X} \rightarrow & \mathbf{X} \rightarrow \\ \hline \mathbf{A} - \mathbf{B} & \mathbf{Or} & \mathbf{A} - \mathbf{A'} & (for homonuclear) \end{array}$$

- start with 6 different atomic orbitals: {2p<sub>x</sub>, 2p<sub>y</sub>, 2p<sub>z</sub>}<sub>atom A</sub> {2p<sub>x</sub>, 2p<sub>y</sub>, 2p<sub>z</sub>}<sub>atom A</sub>,
- all six <u>2p atomic orbitals</u> have the same energy (in homonuclear diatomic)

#### Zumdahl figure 14.35 (interaction among 2p a.o.s on different atoms



- from interactions of the six p-orbitals (3 each from two atoms), six mo's will be formed
- these 2p mo's will have higher energies than the
   and [1\*25] (2p ao's have higher energy than 2s)
- only the interactions  $(p_x \leftrightarrow p_x, p_y \leftrightarrow p_y, and p_z \leftrightarrow p_z)$  occur (in the simple story)
- "end-on" p-orbitals  $(p_x \leftrightarrow p_x)$  have greater interactions than "side-by-side p-orbitals  $(p_y \leftrightarrow p_y, and p_z \leftrightarrow p_z)$

$$\begin{array}{ccc} x \rightarrow & x \rightarrow \\ how \ p_x \leftrightarrow p_x \ interact \ (``end-on'') & A - B & or & A - A' \\ \hline A - B & or & A - A' \\ \hline A - B & Or & A - A' \\ \hline A - & A - A' \\ \hline A - B & Or & A - A' \\ \hline A - B & Or & A - A' \\ \hline A - & A - & A - \\ \hline A - & A - & A - \\ \hline A - & A - & A - \\ \hline A - & A - & A - \\ \hline A - & A - & A - \\ \hline A - & A - & A - \\ \hline A - & A - & A - \\ \hline A - & A - & A - \\ \hline A - & A - & A - \\ \hline A - & A - & A - \\ \hline A - & A - & A - \\ \hline A - & A - & A - \\ \hline A - & A - \\ \hline A - & A - & A - \\ \hline A - & A$$



#### from Zumdahl (fig. 14.36)



#### from handouts (DGH) (end-on from 2p<sub>x</sub> a.o.s)







#### how "side on", $p_y \leftrightarrow p_y$ and and $p_z \leftrightarrow p_z$ interact



#### from Zumdahl (fig. 14.36) $p_y \pm p_y = \pi$ and $\pi^*$

 $2p_y$ 



#### "side-on" p-orbitals from 2p, a.o.'s (from DGH, see handout)





 $\pi$ : one nodal plane (which includes internuclear axis)

#### why p<sub>x</sub> and p<sub>y</sub> orbitals DO NOT interact

- (reminder) text uses x-direction for interatomic direction
- 2p<sub>x</sub> and 2p<sub>y</sub> atomic orbitals DO have the same energy (meets criterion #1)

 $\mathbf{X} \rightarrow$ 



no net overlap; no net interference; **no interaction**<sub>34</sub>

#### energy of mo's from p-orbitals (simple case), figure 14.37

- "end-on" ( $p_x \leftrightarrow p_x$ ) interaction is stronger than side-by-side:  $E_{\sigma 2p} < E_{\pi 2p}$  and  $E_{\sigma^* 2p} > E_{\pi^* 2p}$
- there are two pairs of "side-by-side" p-atomic orbitals

   (p<sub>y</sub>↔p<sub>y</sub> and p<sub>z</sub>↔p<sub>z</sub>):
   the pairs (π<sub>2py</sub>, π<sub>2pz</sub>) have the same energy and (π\*<sub>2py</sub>, π\*<sub>2pz</sub>) have
   the same energy



This order applies to O<sub>2</sub>, F<sub>2</sub>, and Ne<sub>2</sub>

#### life is complicated: $2s_A \leftrightarrow 2p_{xB}$ interactions (and $2p_{xA} \leftrightarrow 2s_B$ )

- In some atoms, the 2s and 2p orbitals are sufficiently similar in energy that constructive and destructive interactions occur between 2s and 2p<sub>x</sub> on differing atoms
- 2p ao's will make contributions to the  $\Box_{2s}$  mo's and 2s ao's will make contributions to  $\Box_{2p}$  mo's  $\Box_{3p}$
- the resulting energy level scheme:
- applies to B<sub>2</sub>, C<sub>2</sub>, and N<sub>2</sub>



#### summarizing (fig. 14.38 and 14.40) relative mixing effects (absolute energies of $O_2, F_2, Ne_2$ would be lower than those of $B_2, C_2, N_2$ )



simple  $O_2$ ,  $F_2$ ,  $Ne_2$ 







		B <sub>2</sub>	C <sub>2</sub>	N <sub>2</sub>	O <sub>2</sub>	F <sub>2</sub>
1	$\sigma_{2p}^*$				σ <sub>2p</sub> *	
	$\pi_{2p}^*$				$\pi_{2p}^* \stackrel{\uparrow}{\longrightarrow} \stackrel{\uparrow}{\longrightarrow}$	<u> </u>
F	$\sigma_{2p}$			<u></u> †↓	$\pi_{2p}$ $\stackrel{\uparrow\downarrow}{\longrightarrow}$ $\stackrel{\uparrow\downarrow}{\longrightarrow}$	-1↓1↓-
L	$\pi_{2p}$	<u></u> → → →			$\sigma_{2p}$ $\longrightarrow$	<u></u>
	$\sigma_{2s}^*$	<u></u> †↓	<u>_</u> ↑↓		$\sigma_{2s}^* \longrightarrow$	<u></u>
	$\sigma_{2s}$	<u></u>	<u></u>	<u></u> †↓	$\sigma_{2s} \longrightarrow$	<u></u>
Magnetism		Para- magnetic	Dia- magnetic	Dia- magnetic	Para- magnetic	Dia- magnetic
Bond order		1	2	3	2	1
Observed bond dissociation energy (kJ/mol)		290	620	942	495	154
Ob boi len (pr	served nd gth n)	159	131	110	121	143

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HW #6 Due Monday, 7 Nov: WebAssign



#### properties of B<sub>2</sub>,C<sub>2</sub>, N<sub>2</sub>, O<sub>2</sub>, F<sub>2</sub>, and their ions (Silberberg fig. 11.21)



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mole cule	configuration	b.o	Bond energy (kJ/mol)	Bond Length (pm)	P or D
Li <sub>2</sub>	$(\sigma_{2s})^2$	1	105	267	D
Be <sub>2</sub>	$(\sigma_{2s})^2 (\sigma_{2s}^*)^2$	0	0	?	?
B <sub>2</sub>	$(\sigma_{2s})^2 (\sigma_{2s}^*)^2 (\pi_{2p})^2 \uparrow \uparrow$	1	290	159	Ρ
C <sub>2</sub>	$(\sigma_{2s})^2 (\sigma_{2s}^*)^2 (\pi_{2p})^4$	2	620	131	D
$N_2$	$(\sigma_{2s})^2 (\sigma_{2s}^*)^2 (\pi_{2p})^4 (\sigma_{2p})^2$	3	942	110	D
O <sub>2</sub>	$(\sigma_{2s})^2 (\sigma_{2s}^*)^2 (\sigma_{2p}^*)^2 (\pi_{2p}^*)^4 (\pi_{2p}^*)^2 \uparrow \uparrow$	2	495	121	Ρ
$F_2$	$(\sigma_{2s})^2 (\sigma_{2s}^*)^2 (\sigma_{2p}^*)^2 (\pi_{2p}^*)^4 (\pi_{2p}^*)^4$	1	154	143	D
Ne <sub>2</sub>	$(\sigma_{2s})^2 (\sigma_{2s}^*)^2 (\sigma_{2p}^*)^2 (\pi_{2p}^*)^4 (\pi_{2p}^*)^4 (\sigma_{2p}^*)^2$	2 O	0	?	?

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HW #6 Due Monday, 7 Nov: WebAssign

#### N<sub>2</sub> diamagnetic O<sub>2</sub> paramagnetic



#### Joanna and Steve

#### just like second row but using 3s and 3p orbitals

Cl<sub>2</sub> (14 VE's)

$$(\sigma_{3s})^2 (\sigma^*_{3s})^2 (\sigma_{3p})^2 (\pi_{3p})^4 (\pi^*_{3p})^4$$





same rules for homonuclear m.o.s apply BUT now:

- 'same' a.o.s on two atoms will not have the same energy (still, a.o.s with similar energies combine to form m.o.s)
- the two a.o.'s will NOT contribute equally to a given mo

heteronuclear diatomic (NO, fig. 14.43)



 $X \rightarrow$ 

heteronuclear diatomic (HF fig 14.45)



 $X \rightarrow$ 

# P 688 "Delocalized bonding" will be covered after we study hybridization (lectures 17-18) and will NOT be on midterm #2 and

#### P 692 "Spectroscopy" later (lectures 19-20)

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SCIENCE NEWS, VOL. 152

DECEMBER 6, 1997

## Floating Frogs Magnets help living organisms defy gravity

By CORINNA WU

Floating Frogs

by Corinna Wu

#### (This was demonstrated on both Dan Rather's CBS News and CNN in April of 1997)

Asked to think of an animal that can fly, most people don't picture a frog. Nonetheless, in April 1997, a team of British and Dutch researchers announced success in lavitating a live frog by using a powerful magnet. According to one of the human observers, the frog emerged from the flight unharmed and "happily joined" his fellow frogs in a biology department.



# The Frog That Learned to Fly (Molecular Magnetism and Levitation)



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originally from: http://www.hfml.ru.nl/pics/Movies/frog.mpg

researchers announced success in lavitating a live frog by using a powerful magnet. According to one of the human observers, the frog emerged from the flight unharmed and "happily joined" his fellow frogs in a biology department.



# END OF MATERIAL FOR MIDTERM #2 FALL 2016

On to hybridization !!!

#### End of Sessions 13-14

# bond order = ½ [ no. of bonding electrons - no of antibonding electrons]

