Chemistry 1B Fall 2016

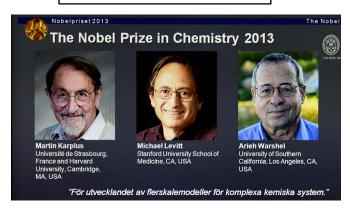
sessions 5-6 Chapter 12 pp. 557-569 *(569-571)

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What can you do to become famous?

[and win a cool \$1.2 million]?]

STUDY QUANTUM MECHANICS



When scientists wanted to simulate complex chemical processes on computers, they used to have to choose between software that was based on classical Newtownian

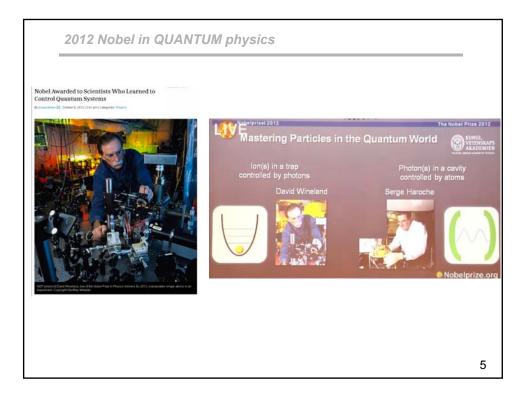
physics or ones based on **Quantum** physics. But the academy said the three laureates developed computer models that "opened a gate between these two worlds."

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Molecular Mechanics at UCSC



Prof Ilan Benjamin Prof. Yuan Ping



aims for lectures 5-6: many electron atoms

- electron spin, "the 4th quantum number and the Pauli exclusion principle
- \bullet effective nuclear charge, $Z_{\rm eff}$ the "net" attraction for an electron in a many-electron atom



- \bullet knowledge of the principal quantum number (n) and $Z_{\mbox{\scriptsize eff}}$ for and atom's valence electrons leads to an understanding of:
 - E_{2s} < E_{2p}
 E_{3p} < E_{3d}
 E_{3d} vs E_{4s}
- Hund's Rule and electron configuration in many-electron atoms the Aufbau Principle

new considerations for many-electron atoms (somewhat different 'order' of presentation than Zumdahl

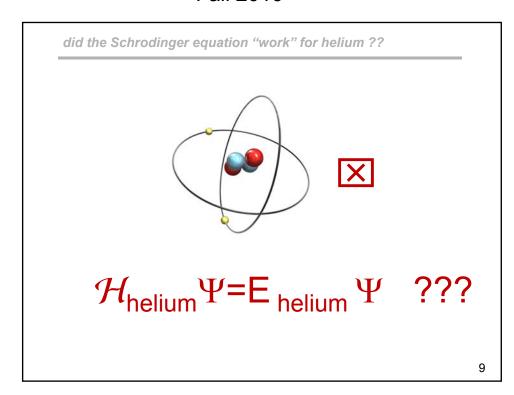
- how does increased atomic number (Z) and the presence of other electrons affect orbital energies?
- how does one "fill up" the available orbitals in many-electron atoms

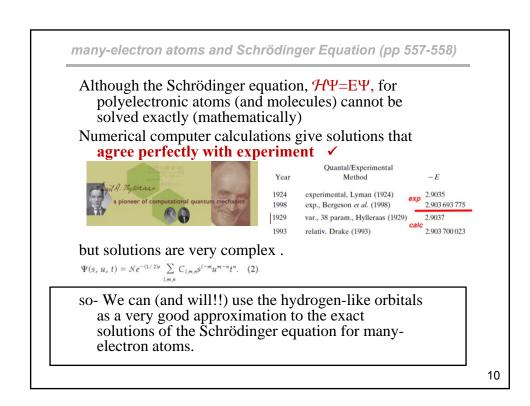
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Chemistry 1B-AL

multí-electron atoms

Electron Spin Electronic Configurations





aims for sessions 5-6: many electron atoms

this video

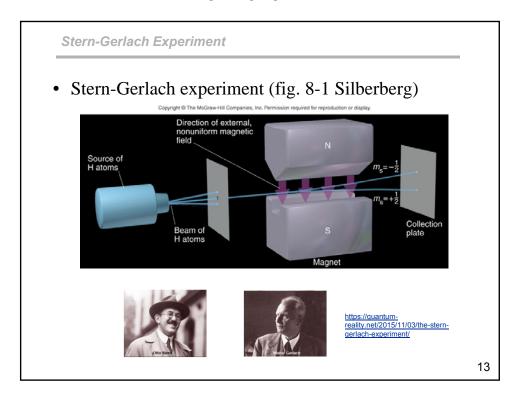
- electron spin, "the 4th quantum number and the Pauli exclusion principle
- \bullet effective nuclear charge, Z_{eff} the "net" attraction for an electron in a many-electron atom

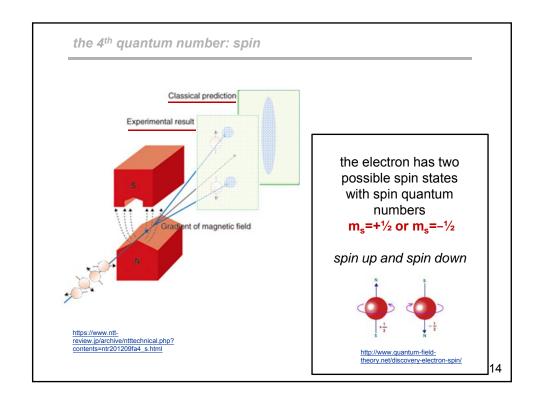
in next class

- \bullet knowledge of the principal quantum number (n) and Z_{eff} for and atom's valence electrons leads to an understanding of:

 - $\begin{array}{c} \bullet \ \, {\rm E_{2s}} < {\rm E_{2p}} \\ \bullet \ \, {\rm E_{3p}} < {\rm E_{3d}} \\ \bullet \ \, {\rm E_{3d}} \ \, {\rm vs} \ \, {\rm E_{4s}} \\ \end{array}$
- Hund's Rule and electron configuration in many-electron atoms the Aufbau Principle

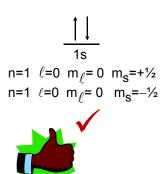
	Chemistry 18-AL Fall 2016, Study Guide and Worksheet III	
Read	Learning Objectives and Worksheet III Chemistry 1B-AL Fall 2016 Leatures (5-6) Many Electron Atoms and the Authbus Principle pp. 557-569 juyo will not be responsible for the material on pp. 569-571, however the CHEMIB-AL intition will be more than hoppy to discuss these concepts with you)	
	Atomic orbital APPOINTMATION To describe the electronic structure of atoms we will be using a model that is an approximation to the studie (exact) solutions to the Strotdinger equation. In this model the many-electron wavefunction to study to by placing electronis the hydrogen-like storuc orbitals.	
i	Pauli Exclusion Principle (PEP) 1. What did the Stern-Gerlach experiment indicate?	To a helium atom Z _e for an electron will bethe +2 charger on the nuclius. 1
Hammook	What is Pauli Exclusion Principle as related to allowed orbital occupancy?	Onemotity 139-81 fail 2015, Study Guide and Worksheer III 1. In the ground state of the U ston has configuration
	Addition information on Stern-Gerlach and electron 'spin' (University of Toronto): http://www.upscale.utoronto.ca/Generalinteriest/Harrison/SternGerlach/SternGerlach.html	
	Energies of orbitals in many-electron atoms: 1. In the hydrogen atom, and for all 1 -electron loss, the energy of an electron in an orbital with quantum numbers n , ℓ , m , m , is given by $E_n = \frac{m^2}{8k^2 n^2} \frac{2^2}{n^2} = (-2.18 \cdot 10^{-20} \cdot 1) \frac{2^2}{n^2}$. For the energy of an electron in an amay electron atom the nuclear charge E is replaced by which takes into account both E , the	
	of the nucleus, and the repulsion (a-shielding of nuclear charge) of the	

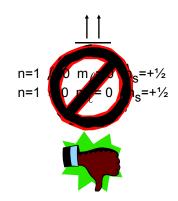




Pauli exclusion principle (PEP) (sec 12.10)

no two electrons can have the same four quantum numbers:





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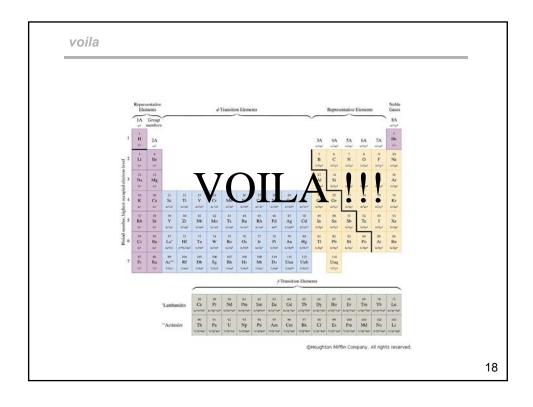
many-electron atoms

He, Li, Be, B, C, N, O, F, Ne

- greater nuclear charge (Z) than hydrogen (Z=1)
- more electrons than hydrogen (one-electron)

where we are heading !!! chapter 12

- Quantum mechanics describes many-electron atoms by filling hydrogen-like orbitals with the atom's electrons in a manner consistent with the Pauli Exclusion Principle.
- This description allows us to understand the **energies** of electrons in atoms and ions, the **relative sizes** of atoms and ions, and the **chemical reactivity** and other properties of various elements.

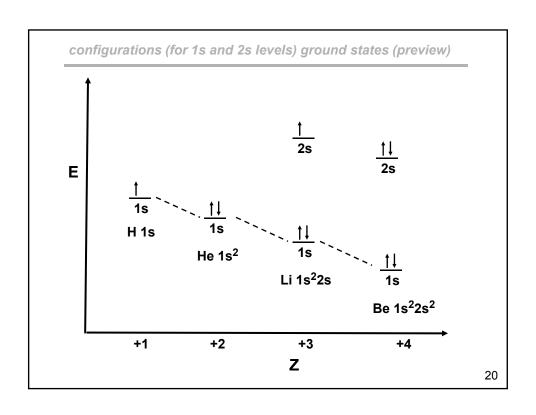


electronic configuration

electronic configuration: specification of which orbitals the electrons occupy in an atom (or molecule) [and possibly the spins of electrons]

e.g. for H: 1s or
$$\uparrow$$
 1s

He: 1s² or \uparrow 1s



remembering from H atom

 Dependence of energy and average radius of electron in a hydrogen orbital on:

n and Z

$$E_{n} = -\frac{m_{e}e^{4}}{8h^{2}\varepsilon_{0}^{2}}\frac{Z^{2}}{n^{2}} = -\left(2.18 \times 10^{-18} J\right)\frac{Z^{2}}{n^{2}}$$

$$\overline{r} \approx (5.29 \times 10^{-11} m)\frac{n^{2}}{Z}$$

Holds EXACTLY for 1-electon atoms and ions:
 H, He⁺, Li²⁺,Be³⁺, ...
 Here Z is "regular" nuclear charge with Z=1, 2, 3, 4,

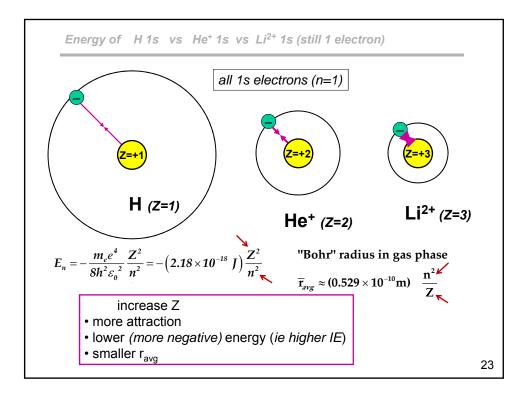
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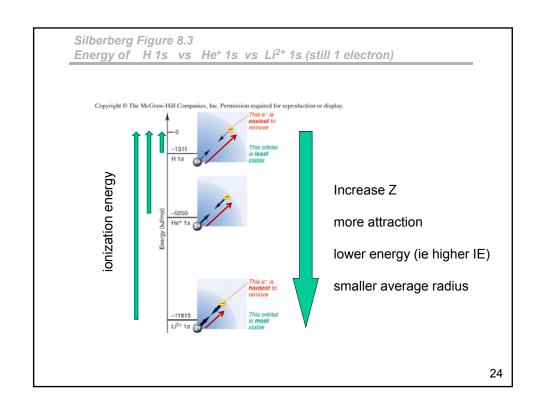
ionization energy (section problem (HW2 #11, S3)

- ionization energy (IE): the energy required to remove an electron from an atom, ion, or molecule in the gas phase
- $X(g) + IE \longrightarrow X^{+}(g) + e^{-}$ (absorbs energy IE: endothermic, + sign for IE)
- IE_n for state n is energy difference between state n and state $n \rightarrow \infty$

$$(I.E.)_n = (E_{\infty} - E_n) = -E_n = +(2.18 \times 10^{-18} J) \frac{Z^2}{n^2}$$

• similar to the work function Φ in the photoelectric effect, except IE refers to gas phase ionization where Φ refers to removal of electron from the solid





what happens when other electrons are present: effective nuclear charge (p 559)

Important factoids in Understanding Effective Nuclear Charge



• Energy dependence on n and Z_{eff}

$$E_n \approx -(2.18 \times 10^{-18} \text{ J}) \frac{Z_{\text{eff}}^2}{n^2}$$

• Z_{eff} and shielding (attraction-repulsion)

$$Z_{\text{eff}} = Z - \text{(effect of electron repulsions)}$$

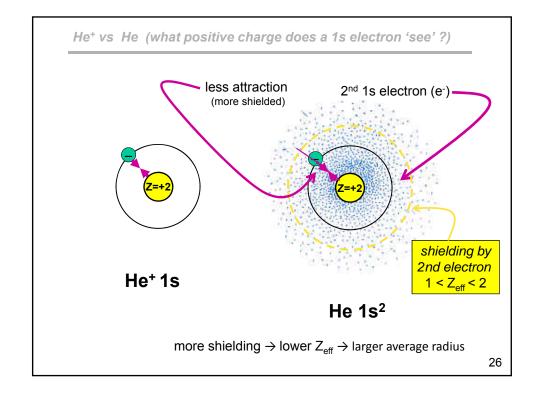
 $Z_{eff} = Z -$ (shielding of other electrons)

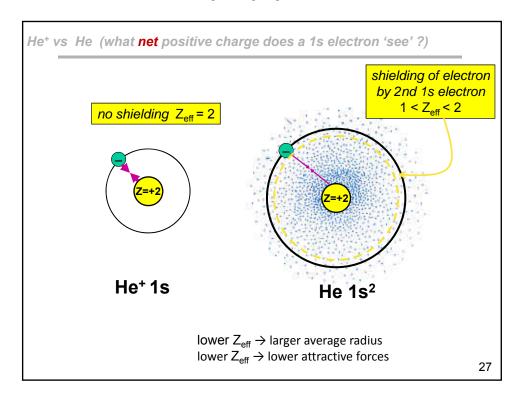
1s electron 'feels' full Z==+2 nuclear attraction

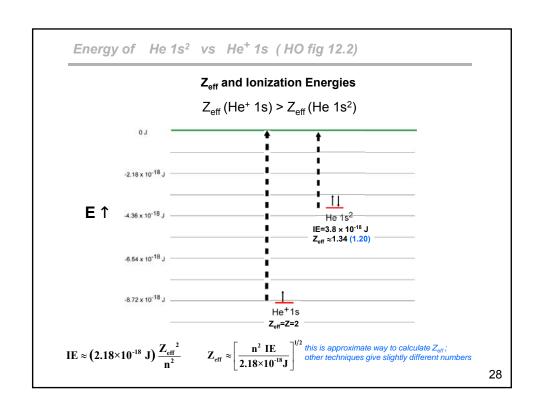
• electrons in same shell:

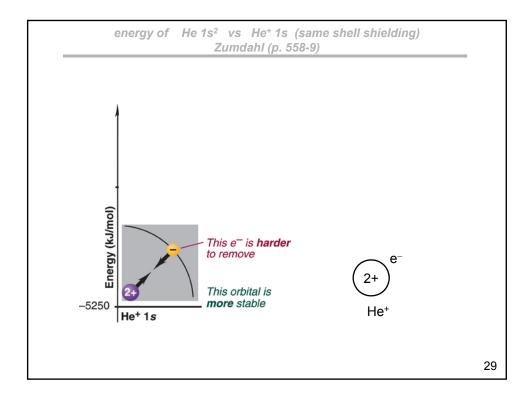
He 1s vs He 1s2

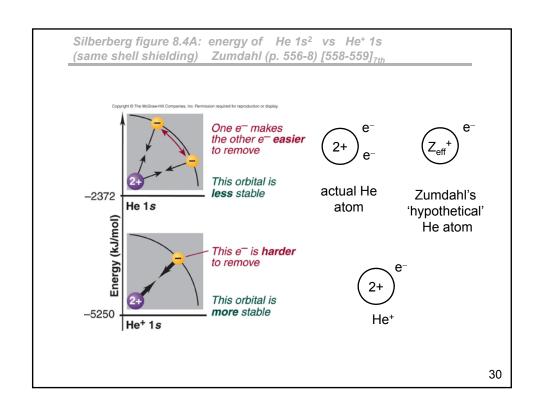
the two 1s electrons shield one another from the Z=+2 nuclear pull











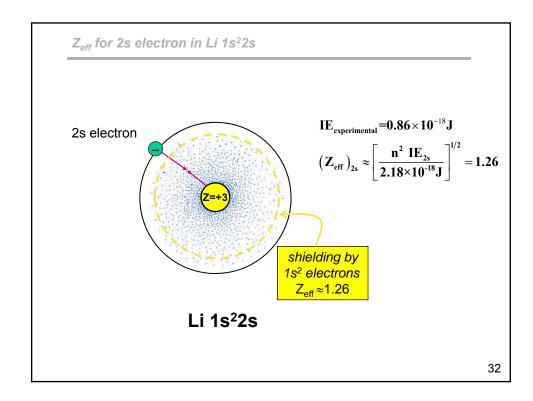
Z_{eff}: effective nuclear charge

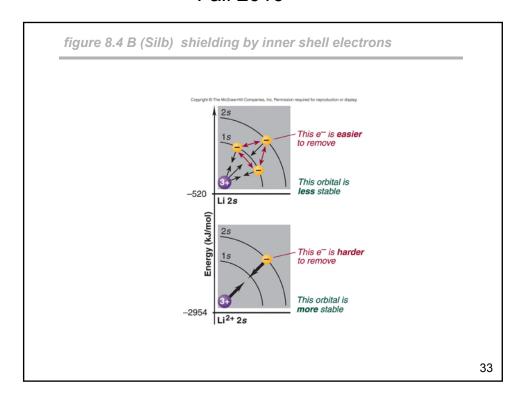
what about shielding if the electrons are in different shells

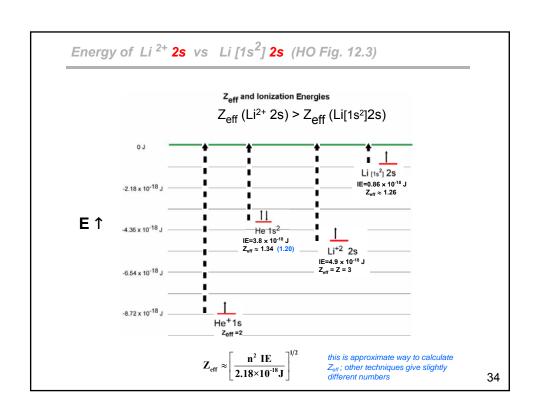
 $Li^{2+} 2s vs Li(1s^2) 2s$

shielding the 2s electron -

would you expect electrons in an inner shell to provide less or greater shielding effects than electrons in the same shell?







same shell shielding He 1s² vs inner shell shielding Li1s²2S

how would one expect the shielding of 1s electron for another 1s electron [same shell] to compare to the shielding of a 1s electron for a 2s electron [different shells]?

?

shielding of same shell

shielding of outer shell by inner shell

He 1s²

Li1s²2s

How so ? $[Z_{eff}=Z_{nucleus}$ -shielding of other electrons]

He: $Z_{eff}(1s) \approx 1.34 = +2$ – shielding of other 1s electron shielding of other 1s electron = **0.66**

Li: $Z_{eff}(2s) \approx 1.26 = +3 - \text{shielding of two 1s electrons}$

shielding of each inner shell 1s electron = $\frac{1.74}{2}$ = **0.87**

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DONE FOR NOW !!



http://www.tunnel.ru/i/post/350182/3501828039/2063662981/at948236225.gif

take home material from: Video03

- Stern-Gerlach electron spin +½ and -½
- Pauli Exclusion Principle (PEP)
- effective nuclear charge: Z_{eff}
 - +Z_{nuclear chage} repulsion (shielding) by other electrons
 - shielding greater from electron in inner shell than electron in same shell [from electrons 'inside' or closer to nucleus]
 - $\blacksquare \quad E_{_{n}} \approx \ -\frac{m_{_{e}} e^{4}}{8 h^{2} \varepsilon_{_{0}}^{\, 2}} \frac{Z_{_{eff}}^{2}}{n^{2}} = \left(2.18 \times 10^{-18} \ J\right) \frac{Z_{_{eff}}^{2}}{n^{2}} \qquad \overline{r} \approx (5.29 \times 10^{-11} m) \ \frac{n^{2}}{Z_{_{eff}}}$

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in many-electron atoms how do the energies of the 2s and 2p orbitals compare?

In 1-electron atoms (H-atom) and 1-electron ions (He $^+$, Li $^{2+}$...), a 2s and 2p orbital will have the .. **SAME** .. energy

$$3s - 3p - - 3d - - -$$

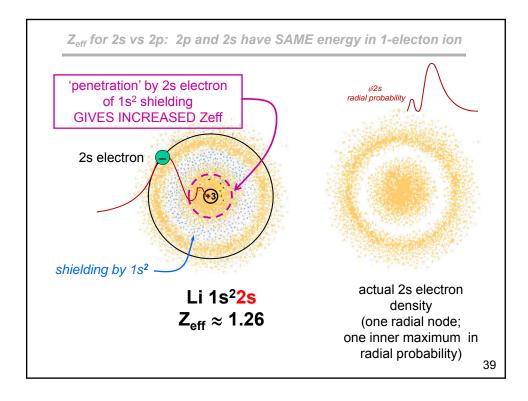
$$E = 2s - 2p - - -$$

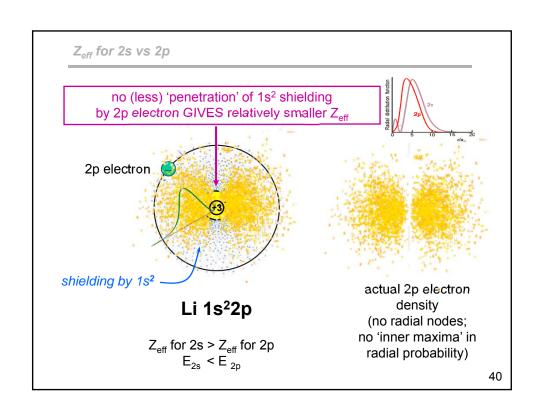
$$1s -$$

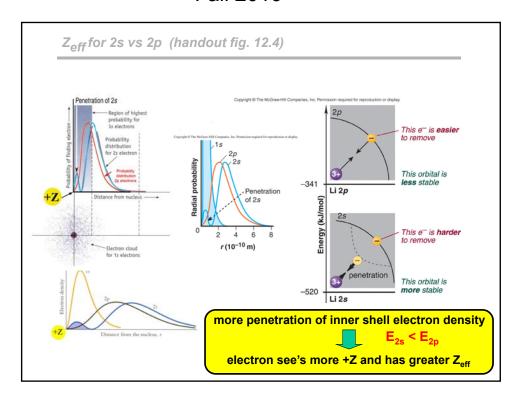
fig. 12.23 for 1-electron atoms and ions

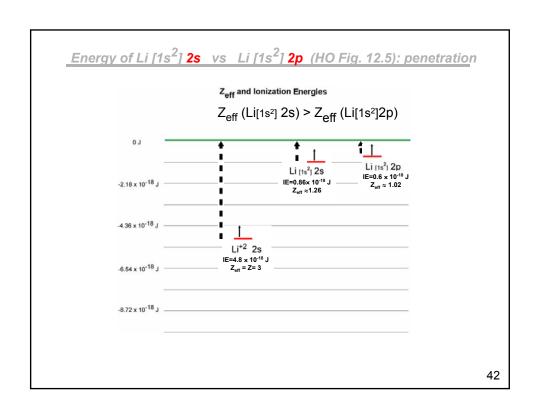
now Z_{eff}

and the effect of penetration of inner shell electron density by electrons in the same shell (e.g. 2s electron vs 2p electron)









how do the energies of the 2s and 2p orbitals compare in manyelectron atoms?

- Configurations and valence-level orbital diagrams
- Hund's rule
- 2nd row aufbau fig 8.8 (Sil)

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3s, 3p, 3d, 4s orbital energy ordering

• Increasing Z_{eff} due to increasing penetration effects (figure HO 12Z.6);

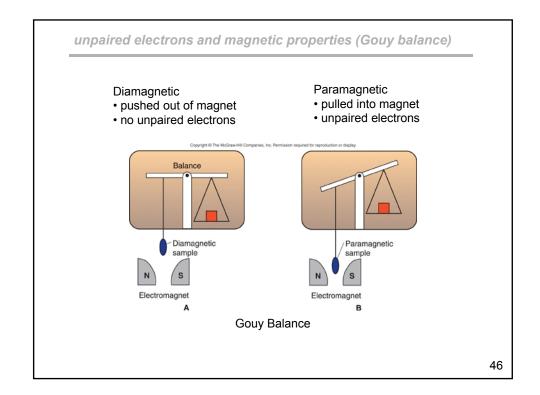
$$(Z_{eff})_{3s} > (Z_{eff})_{3p} > (Z_{eff})_{3d}$$

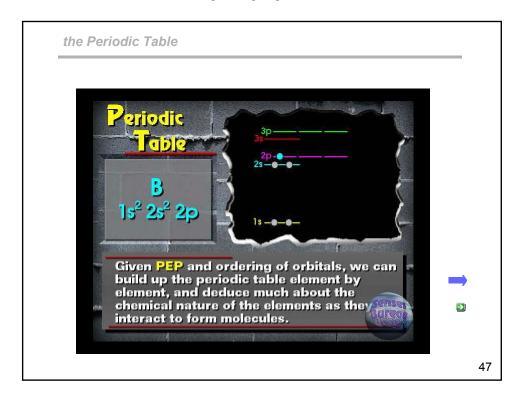
$$(E)_{3s} < (E)_{3p} < (E)_{3d}$$

- 4s vs 3d (Z_{eff} vs n)
- Orbital energy ordering <u>fig 8.6 (Silb)</u> (figure 8.13, Silb) →

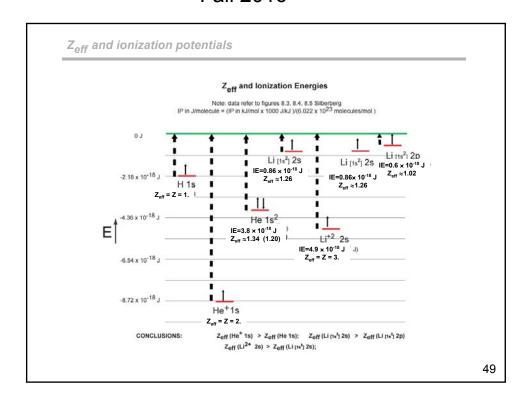
configurations

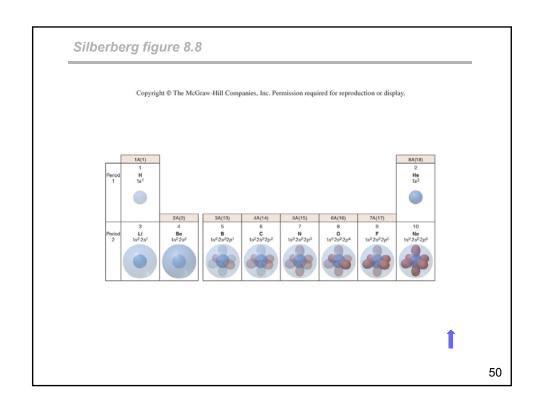
- Hund's rule
 - Energy ordering
 - Unambiguous [closed shell, 1e, (n-1)e's e.g. p¹, p⁵, d¹,d⁰] →
 - Ambiguous [e.g. $p^2,p^3,p^4,d^2\rightarrow d^8$]
- Examples (periodic table) →
 - ground state
 - excited state
 - not allowed configuration
 - transition metal cations
 - exceptions"

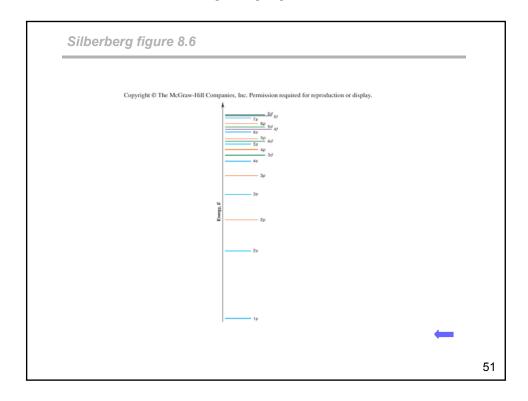


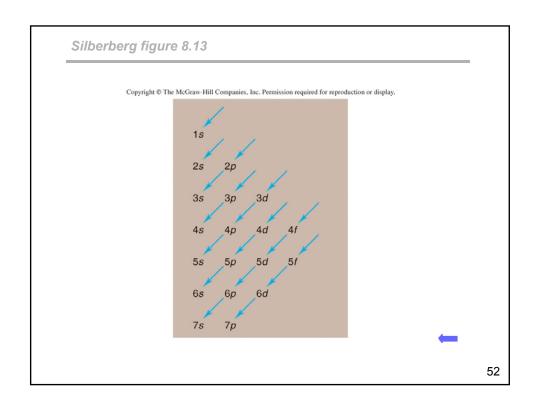


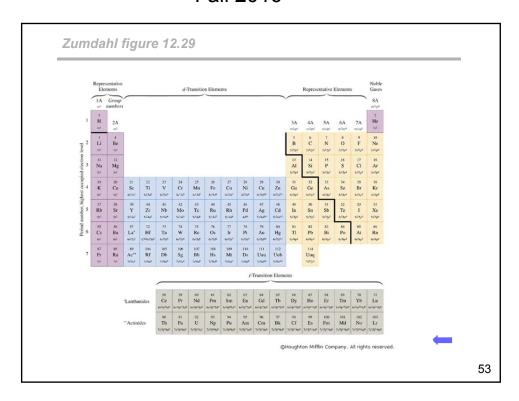
end of material sessions 5-6

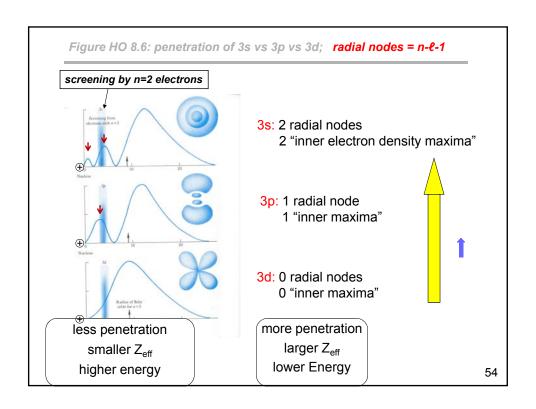


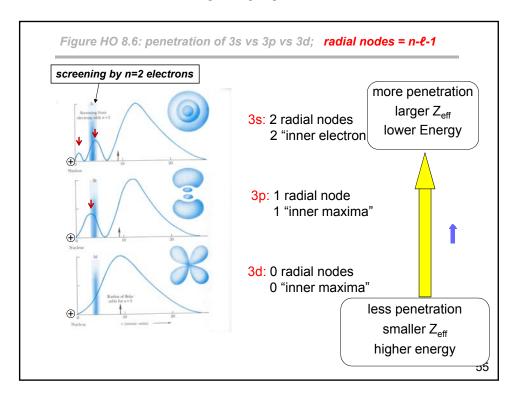


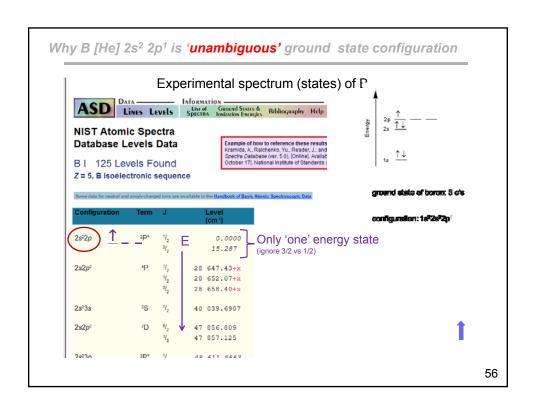


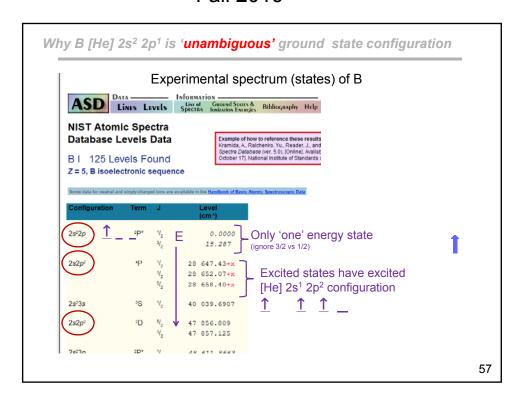


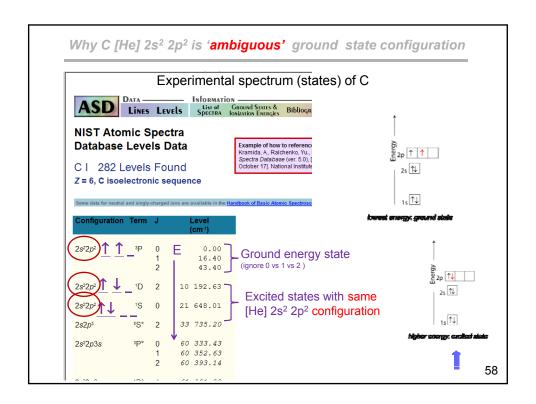


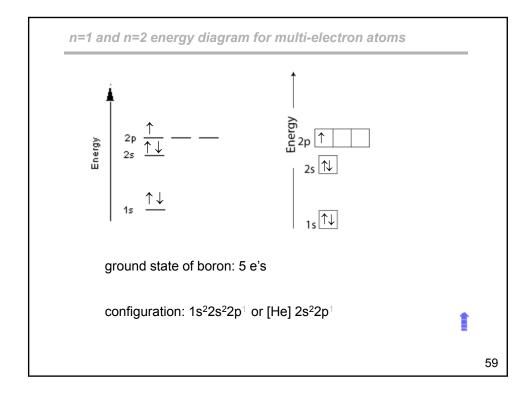


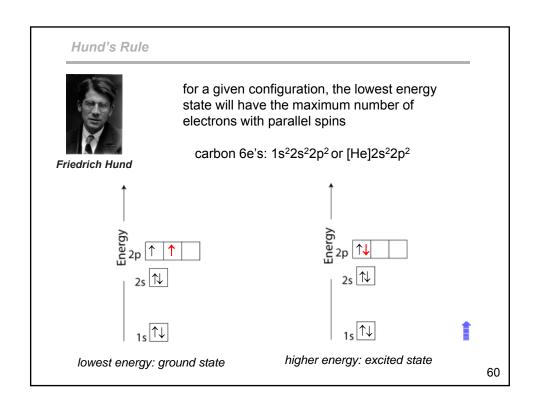












 E_{3d} vs E_{4s} a contest between n and Z_{eff} !!!

 $E_n \approx -(2.18 \times 10^{-18} \text{ J}) \frac{Z_{eff}^2}{n^2}$

smaller n \Rightarrow lower (more negative) energy larger $Z_{\text{eff}} \Rightarrow$ lower (more negative) energy

who wins for lower energy?

3d vs 4s

n: 3 4 3d wins for lower energy

Z_{eff}: smaller larger 4s wins for lower energy 0 radial nodes 3 radial nodes

and the energy winner is:

in neutral atoms $Z_{\rm eff}$ wins: $E_{4s} < E_{3d}$ but in positive ions (e.g. Fe³⁺) n wins: $E_{3d} < E_{4s}$

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exceptions (p568)

The Aufbau Principle that we have been using is extremely useful in describing electronic configurations in atoms and ions. However since it is an 'approximation' to the actual (Schrödinger) wavefunctions, exceptions may be observed.

extra stability of half- or filled-shells:

²³V: [¹⁸Ar] 4s²3d³ ↑ ↑ ↑ _ _ _ as expected

²⁴Cr: [¹⁸Ar] 4s²3d⁴ ↑ ↑ ↑ ↑ _ expected

but [¹⁸Ar] 4s¹ ↑ 3d⁵ ↑ ↑ ↑ ↑ observed (half-filled)

²⁸Ni: [¹⁸Ar] 4s²3d⁸ ²⁹Cu: [¹⁸Ar] 4s²3d⁹ but: ²⁹Cu: [¹⁸Ar] 4s¹3d¹⁰ filled

In chemistry 1B-02 you will NOT be responsible for memorizing exceptions but just to 'explain' a given exception

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